

New insights on the dSph from orbit-based dynamical modeling

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Outline

- Introduction: cosmological predictions/relevance to DM nature
 - Density profiles and shapes
- Dynamical modeling of dwarf galaxies
 - Recent lessons
 - Dynamical modeling with Schwarzschild's method
 - Comparison to LCDM simulations
- Conclusions

Special thanks to: **Carlos Vera-Ciro**
and Maarten Breddels



Is this picture quantitatively correct on the dwarf galaxy scale?



Why care?

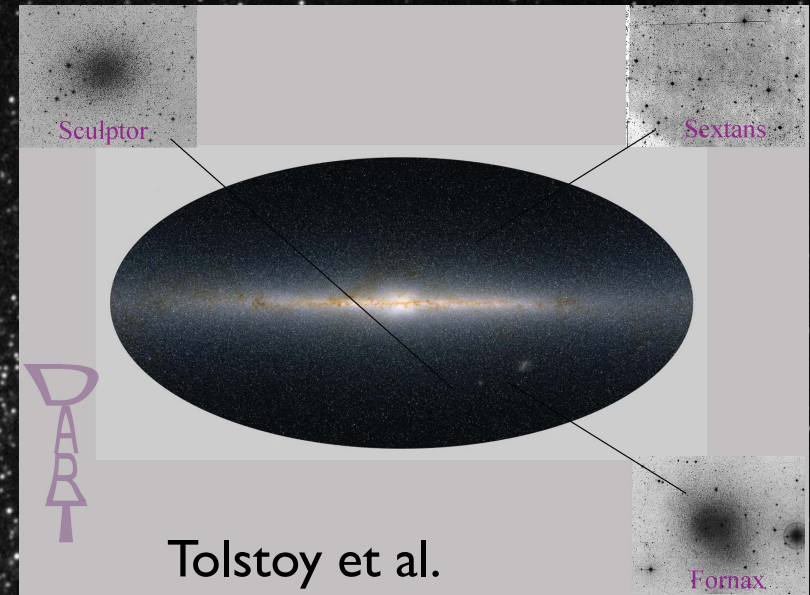
- Pure N-body CDM simulations make definitive predictions about structure of halos
 - density profiles a la NFW/Einasto; cuspy near the centre
 - halo shapes triaxial; axis ratios change with radius
- These predictions depend on nature of dark matter particle
 - WDM have lower average densities
 - Depending on implementation/particle properties simulations show
 - NFW form (Busha et al. 2007; even for HDM Wang & White 2008)
 - A core (of varying size; Maccio et al. 2012,2013)
- We can use large kinematic datasets for the dwarf galaxies to measure these
 - To shed light on the nature dark matter
 - To constrain physics of baryons on small scales, e.g. SN feedback (strength)

The satellites of the Milky Way: dwarf spheroidal galaxies

Very faint systems: $100 - 10^7 L_{\text{sun}}$

Dynamical mass estimates: $10^7 - 10^9 M_{\text{sun}}$

- Most DM dominated systems known, and all the way to center
- Large MOS spectrographs on 8m class telescopes (MIKE on Magellan – Walker et al. 2007++; FLAMES on VLT – Battaglia et al. 2008++; Gilmore et al. 2007++) led to large samples of stars with
 - radial velocities
 - metallicities
- Dynamical and chemical modeling



Kinematics of MW dSph satellites

Fairly flat velocity dispersion profiles

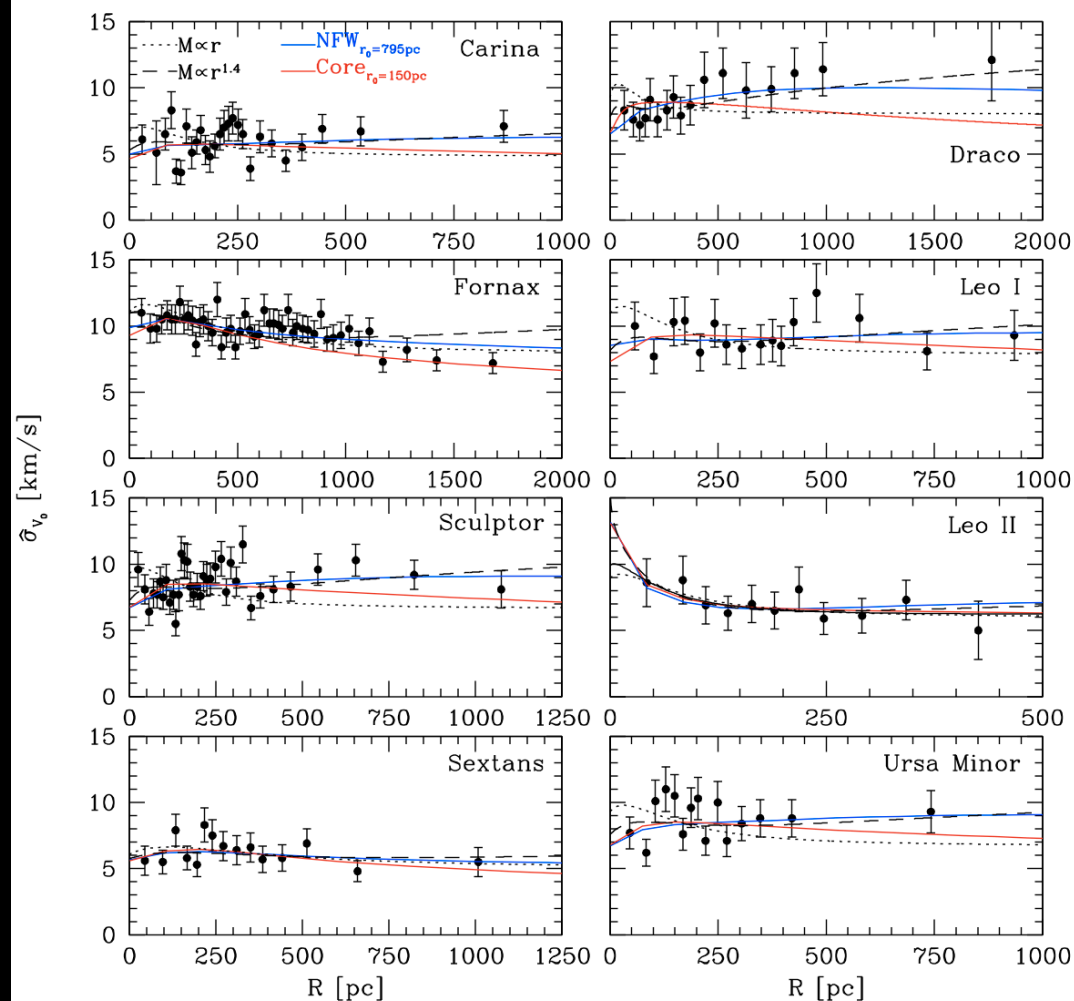
Implications for dark halos?

Modeling often based on Jeans Eq:

- Fit veloc. disp. (2nd and 4th mom)
- parametric (dark halo profile)
- assumptions on orbital structure

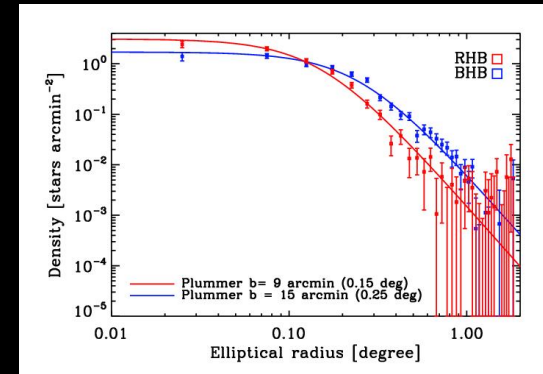
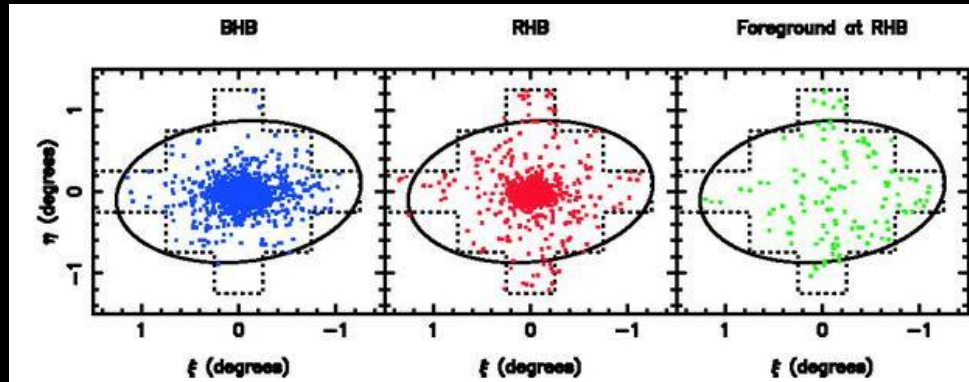
No agreement on cusp or core because of degeneracies

Need more robust modeling technique
(fewer assumptions)



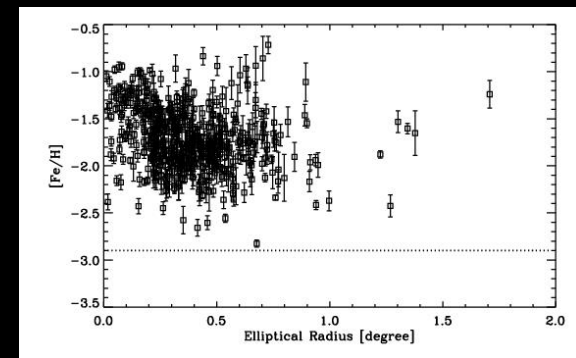
Walker et al (2009)

Multiple stellar/kinematical components: Scl

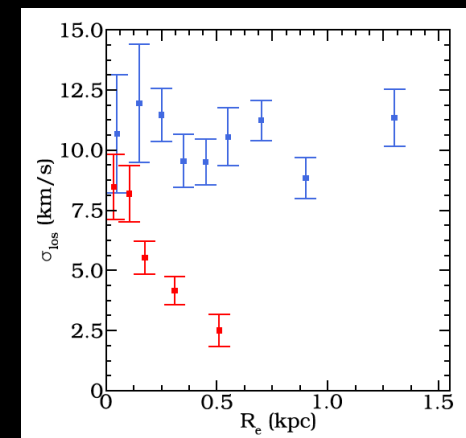


Tolstoy et al. 2004

- Strong variation of stellar populations with distance
- Also reflected in the metallicity and kinematic distribution



- Metal-rich stars centrally concentrated, colder population
- Metal-poor stars: extended and hotter
- Present in Sculptor, Fornax, Carina, Sextans



Battaglia et al. 2008, 2013

Recent results and open questions

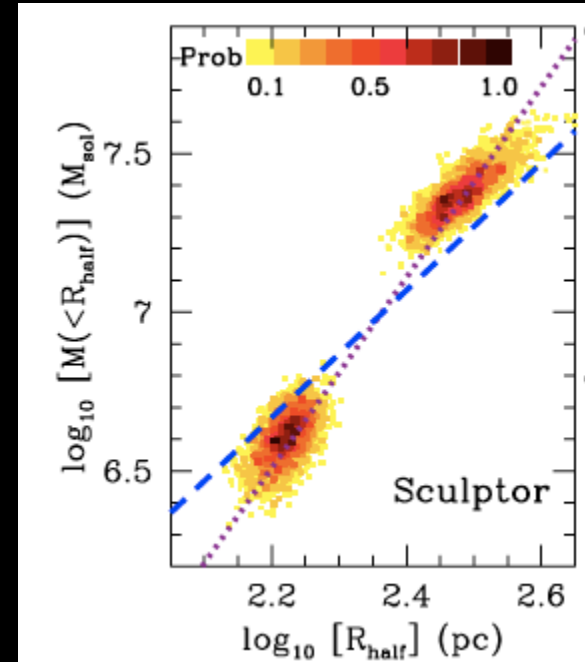
- Possible to measure reliably a mass at a scale close to half-light:

$$M(r_{-3}) = 3 \frac{\langle \sigma_{\text{los}}^2 \rangle r_{-3}}{G}$$

M_{300} (Strigari et al. 2007)
 M_{half} (Walker et al. 2009)
 $M_{1/2}$ (Wolf et al. 2010)

- Multiple component nature of dSph:
 - slope measurement in Scl rules out steep NFW at 99% c.l. (Walker & Peñarrubia, 2011, but Strigari et al. 2014)
 - similarly for virial theorem arguments (Agnello & Evans 2012)

Need to model components separately? How about non-parametric modeling?

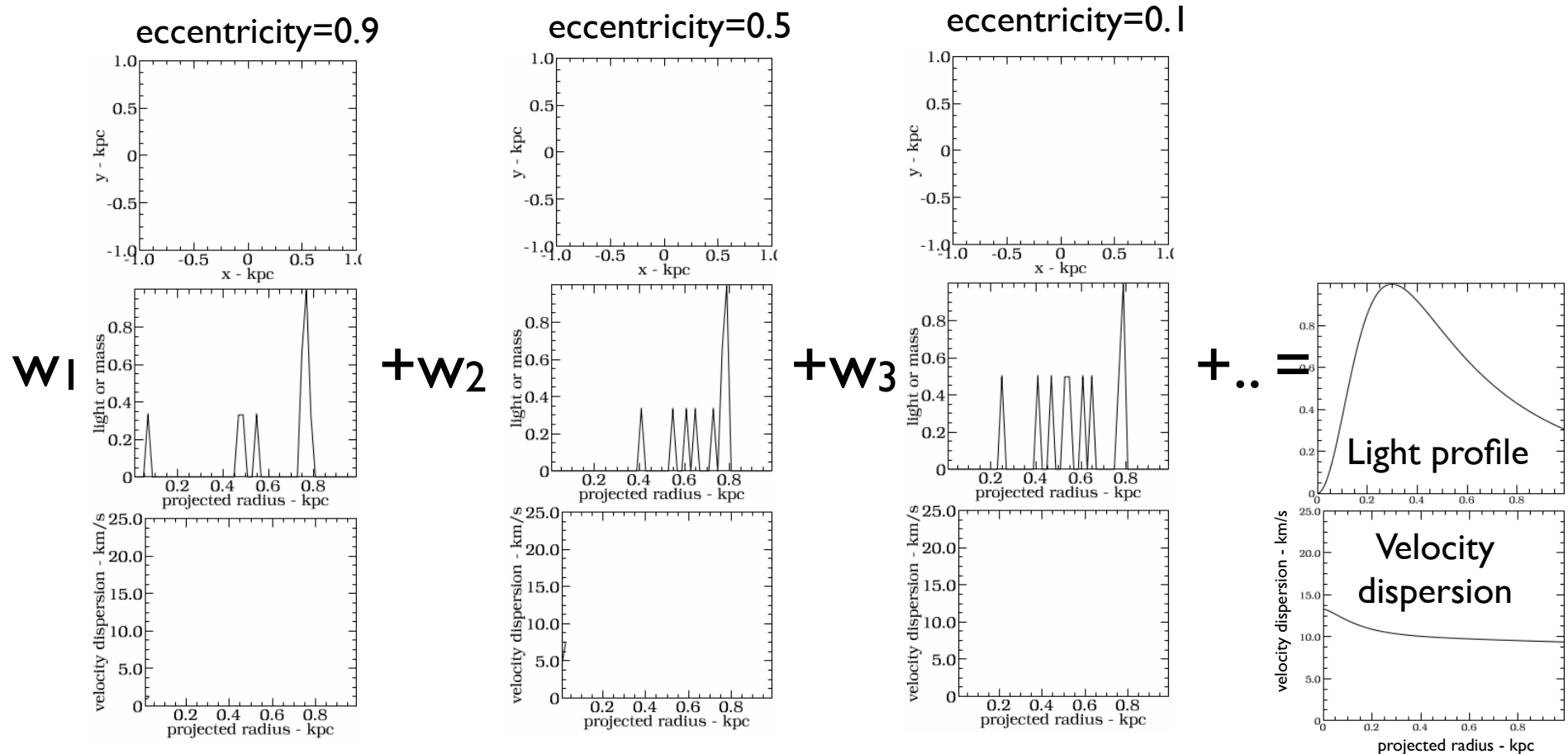


Walker & Peñarrubia (2011)

Dynamical modeling using orbit- based methods

Schwarzschild method (Martin Schwarzschild 1979)

Assume a potential, integrate different orbits, reproduce observables by adding them: weights

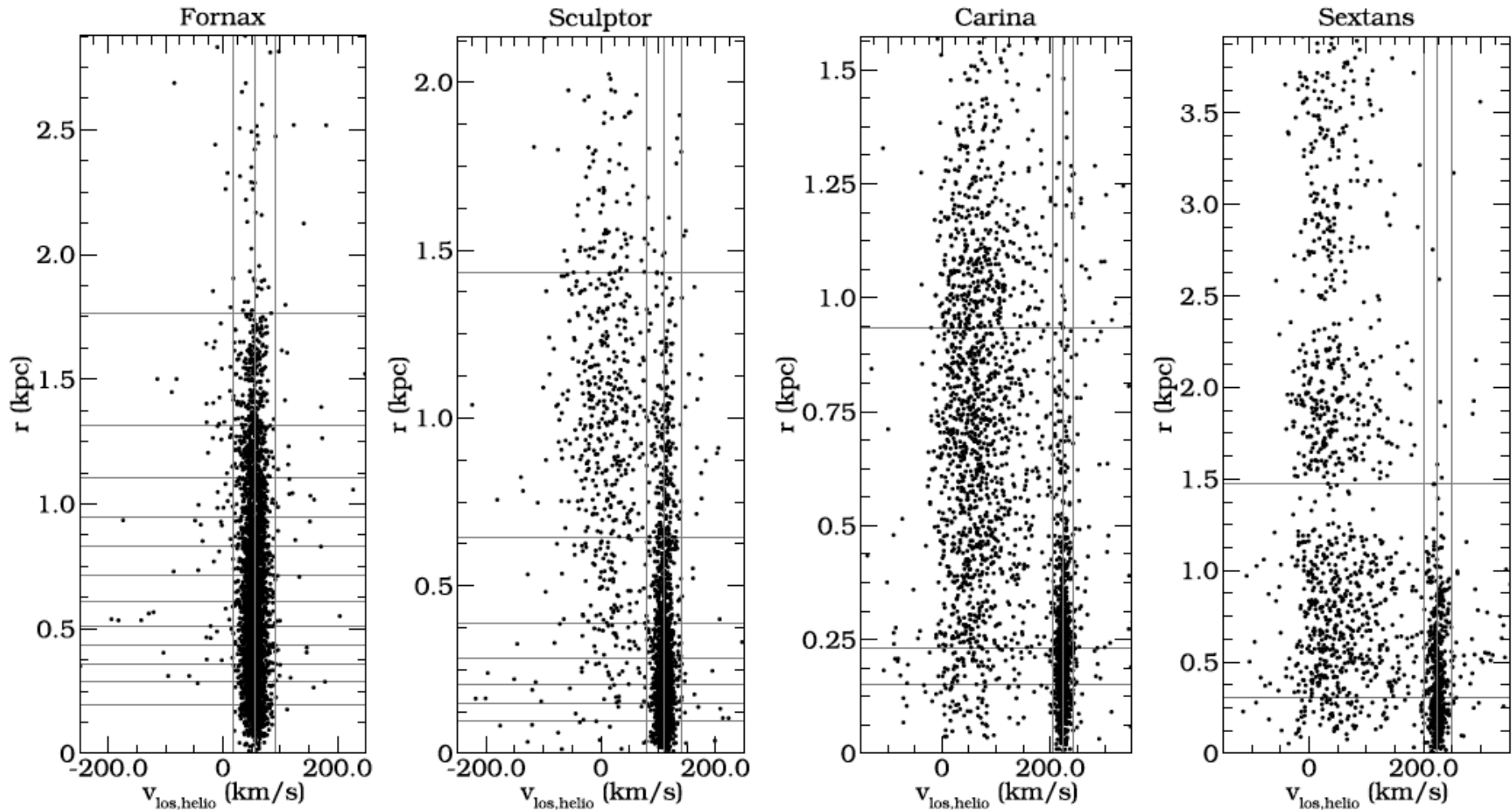


• Best model via max likelihood, gives best fit parameters of gravitational potential, and distribution function (orbital structure)

• Compared to Jeans: less assumptions & always a physical solution

Observables

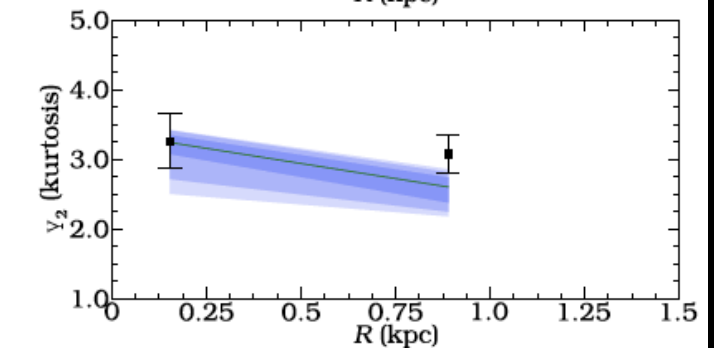
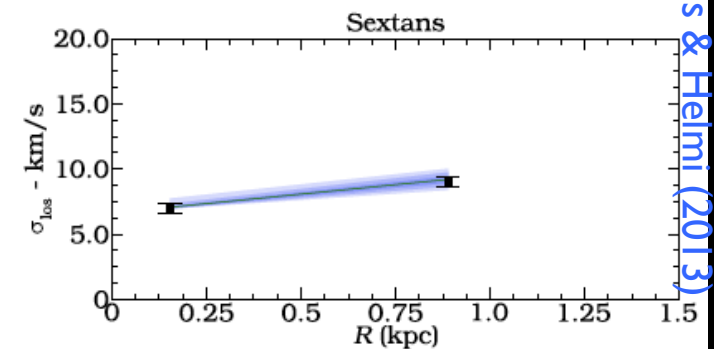
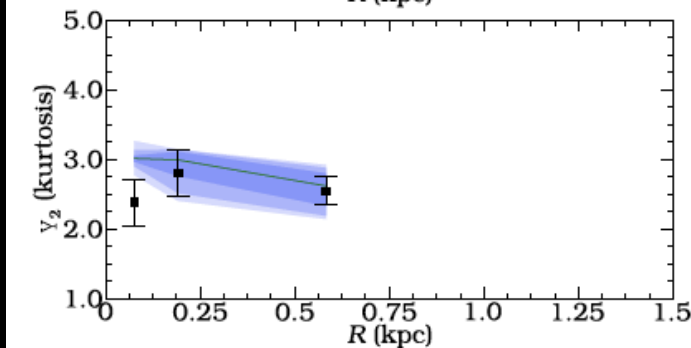
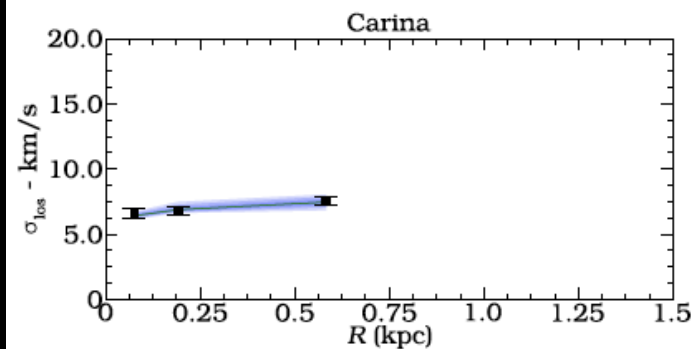
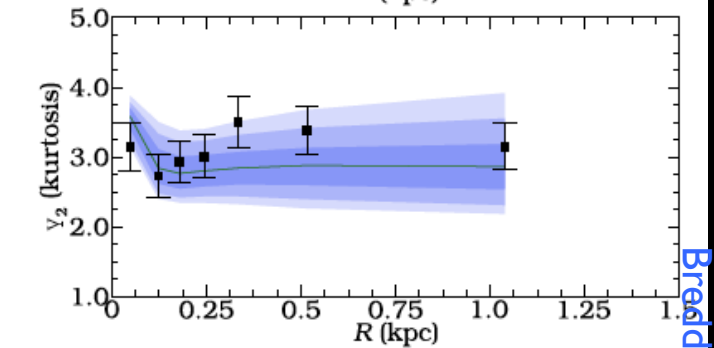
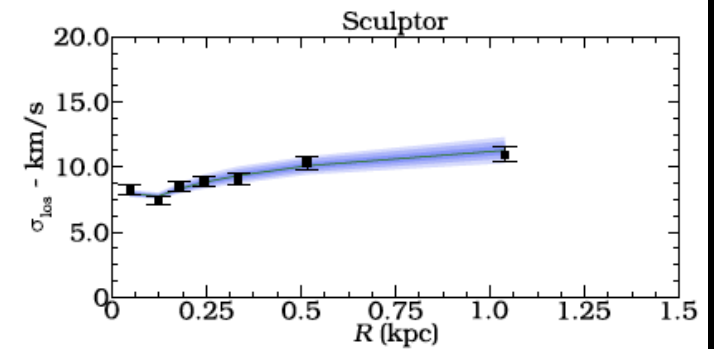
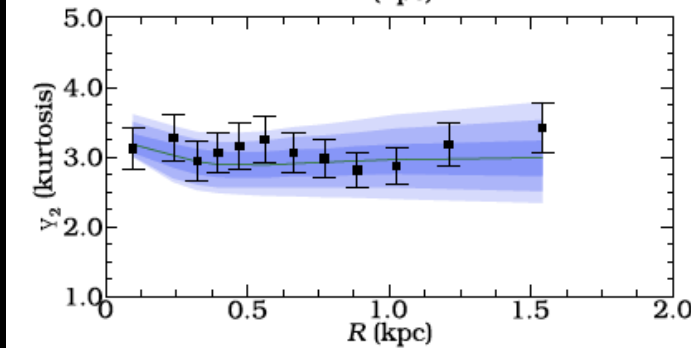
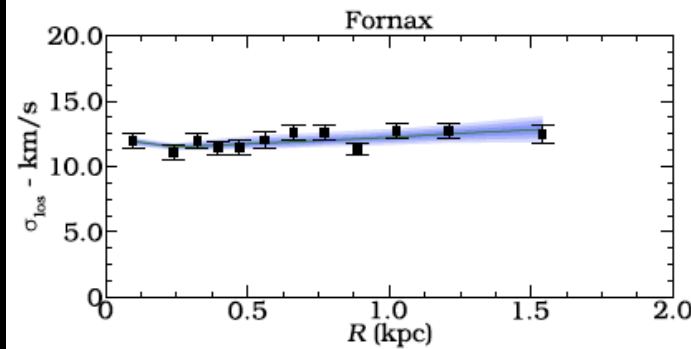
- Measurements for individual stars: **los-velocity** and **position** from galaxy's centre
- Determine **membership** (contamination by foreground Milky Way stars)



Breddels & Helmi (2013)

Observables

- Moments of the l.o.s. velocity distribution
- 2nd moment, Dispersion σ
- 4th moment (Kurtosis; needed to constrain anisotropy/types of orbits)

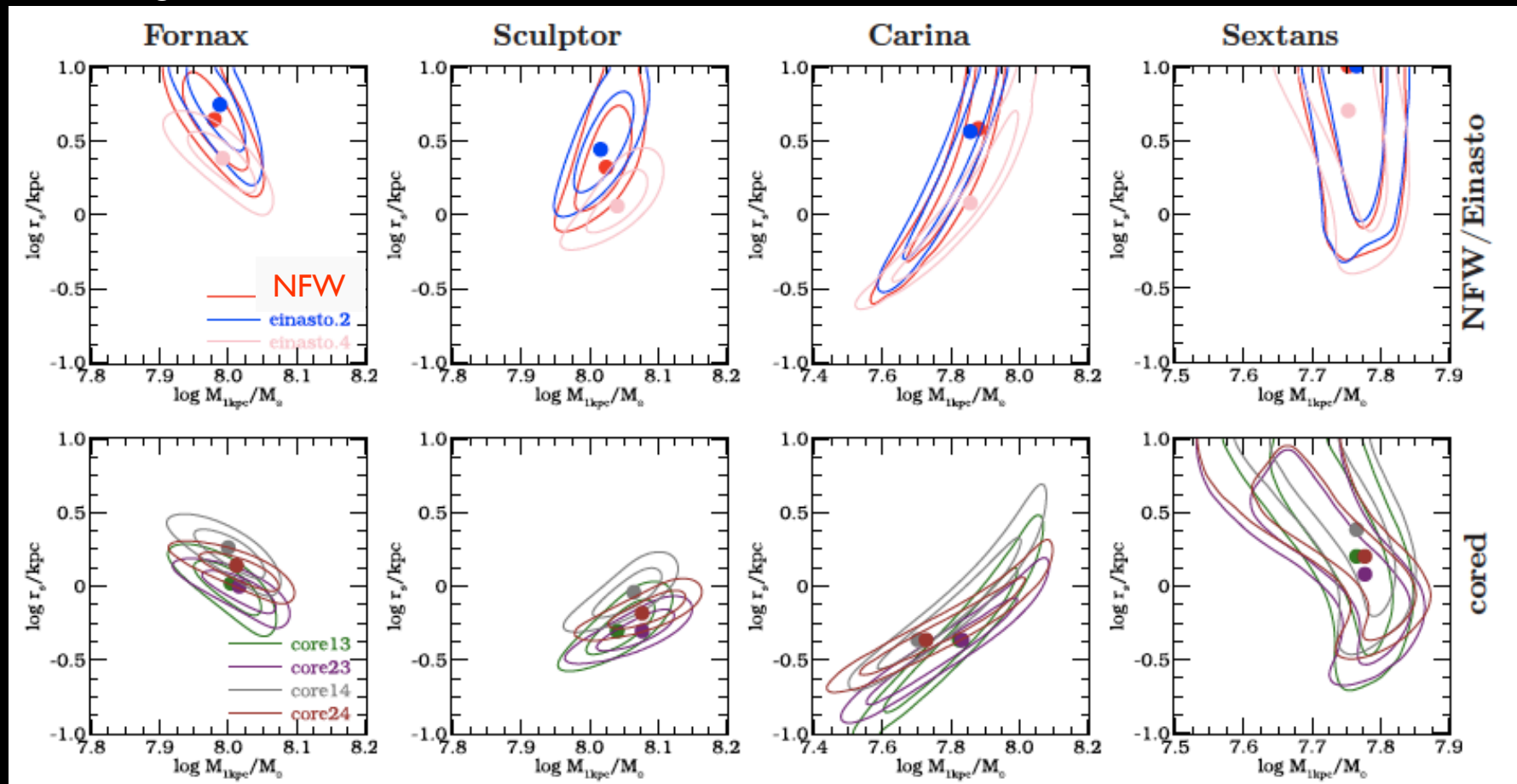


Models: mass and scale radius

- Specify halo potential, e.g. NFW, integrate orbits
 - Vary parameters (Mass, scale radius) until χ^2 is minimized
- Vary halo potential/density
 - Fit again ...

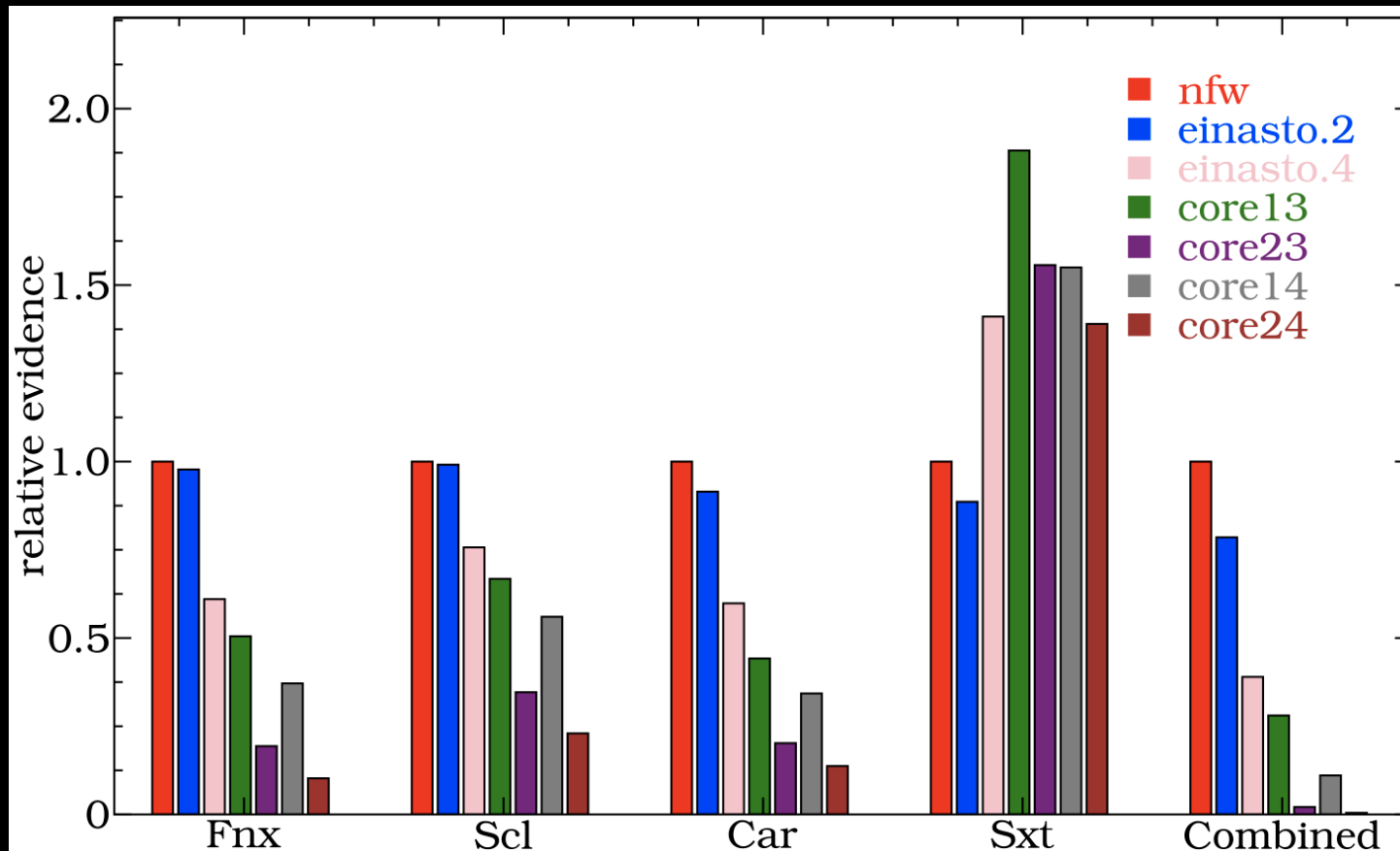
$$\rho(r) = \frac{\rho_0}{(1 + x^\gamma)^{\beta/\gamma}}$$

$\beta = 3, 4$ and $\gamma = 1, 2$



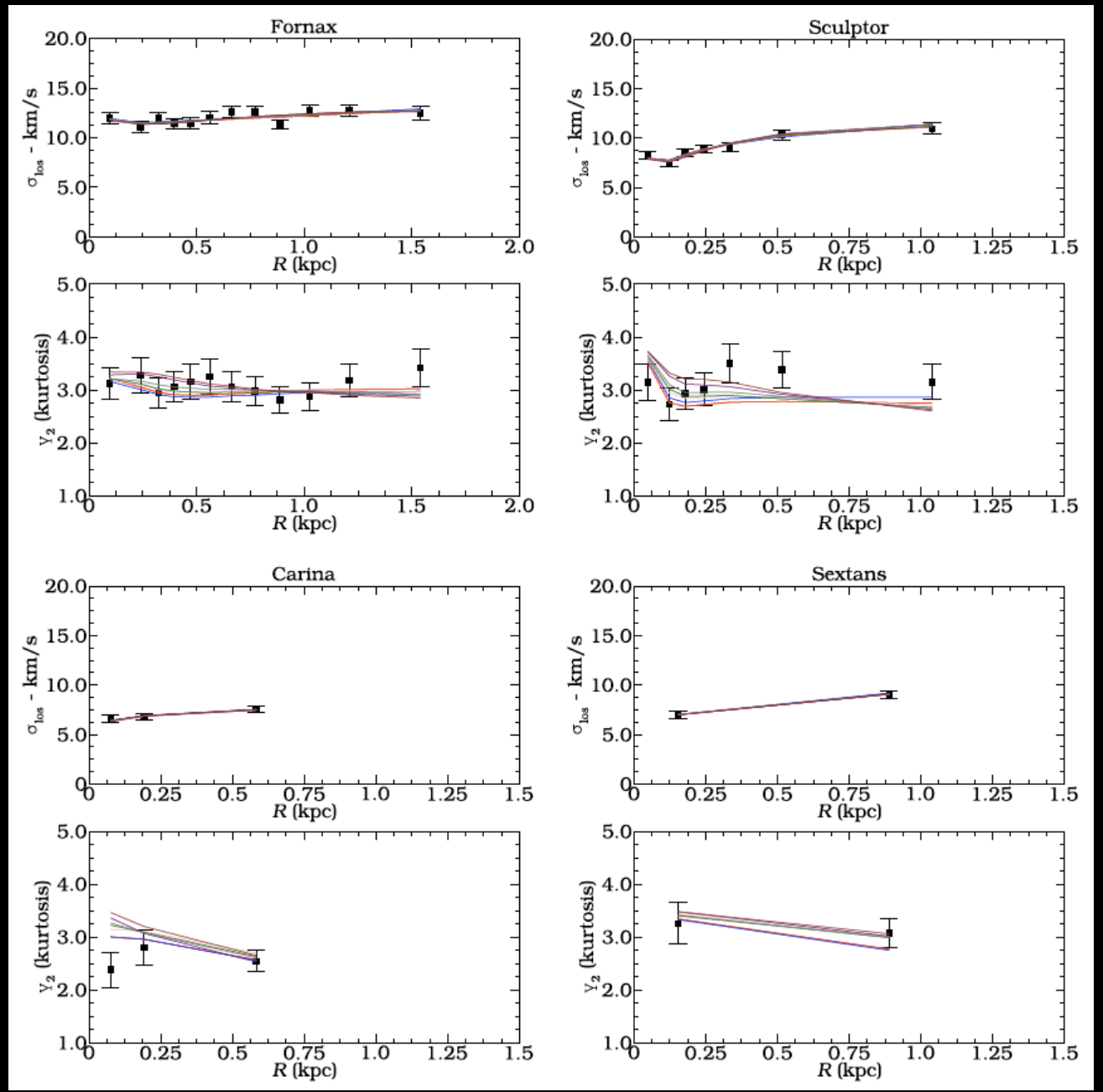
Bayesian evidence: Which give better fits?

- In Bayesian framework, determine evidence: $p(M_1|\text{data})/p(M_2|\text{data})$
- Comparing different models for same galaxy: **no one is preferred**
- Are all galaxies are embedded in same profile? **cored $1/(1+r^2)^{\{3/2,2\}}$ are disfavored**

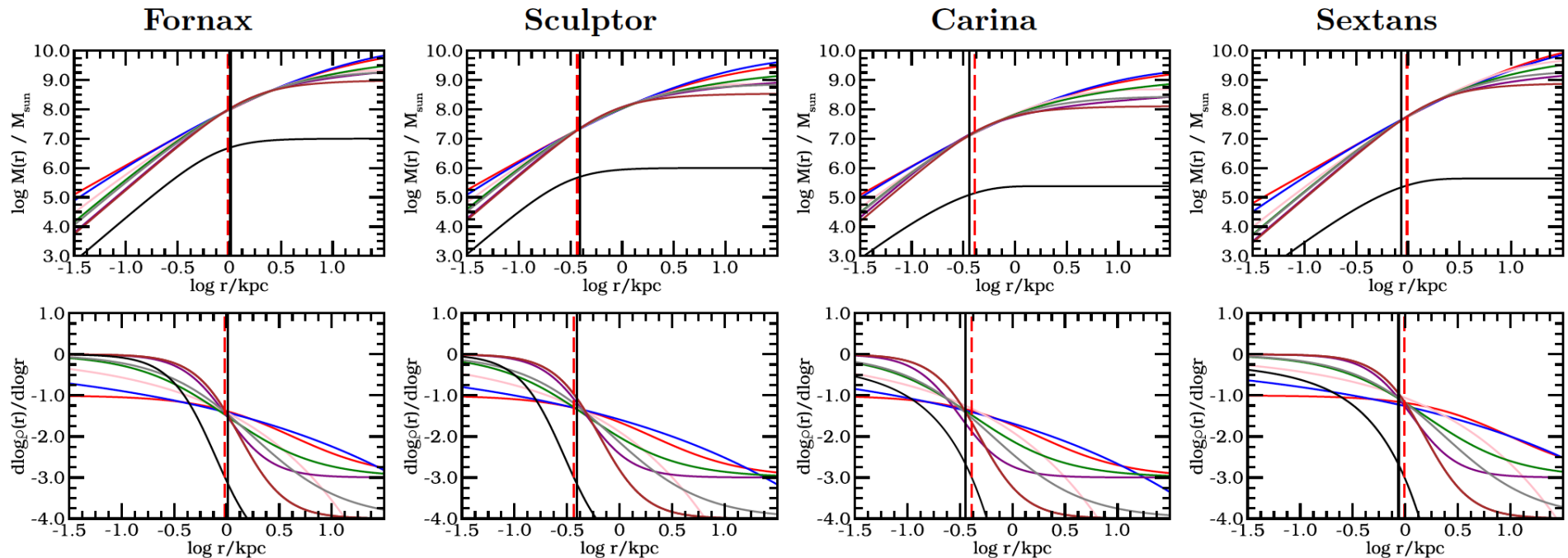


Breddels & Helmi (2013)

The best fit models found give fits that are effectively indistinguishable



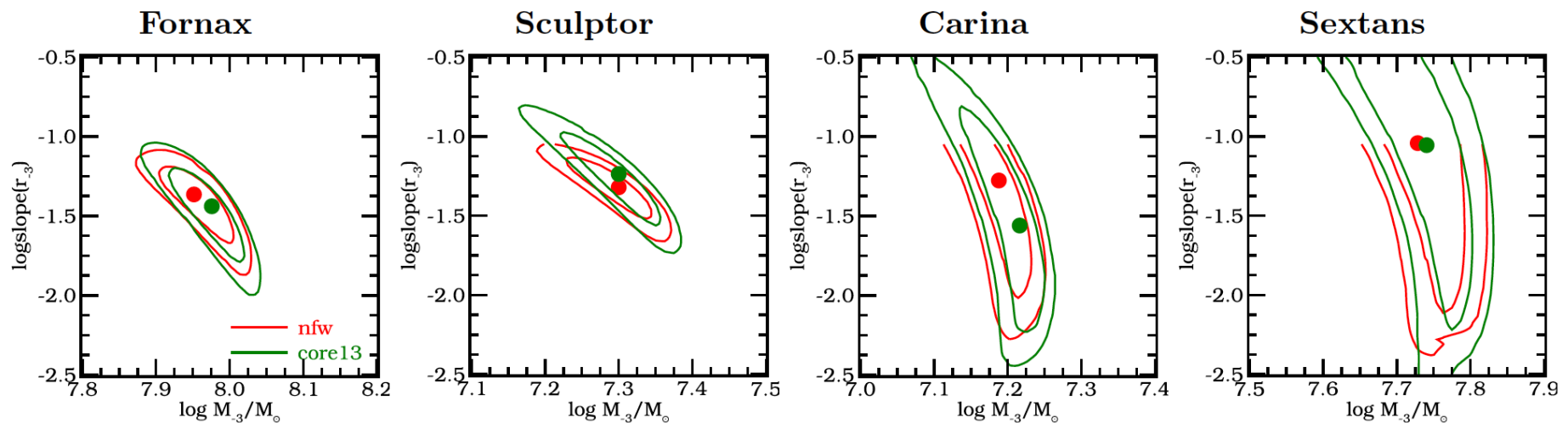
Resulting mass profiles



Breddels & Helmi (2013)

- For each galaxy, finite region where **all profiles conspire to give same mass distribution**
- From $r_{.3}$ to last measured data point

Measurement of the slope of the dark halo density profile

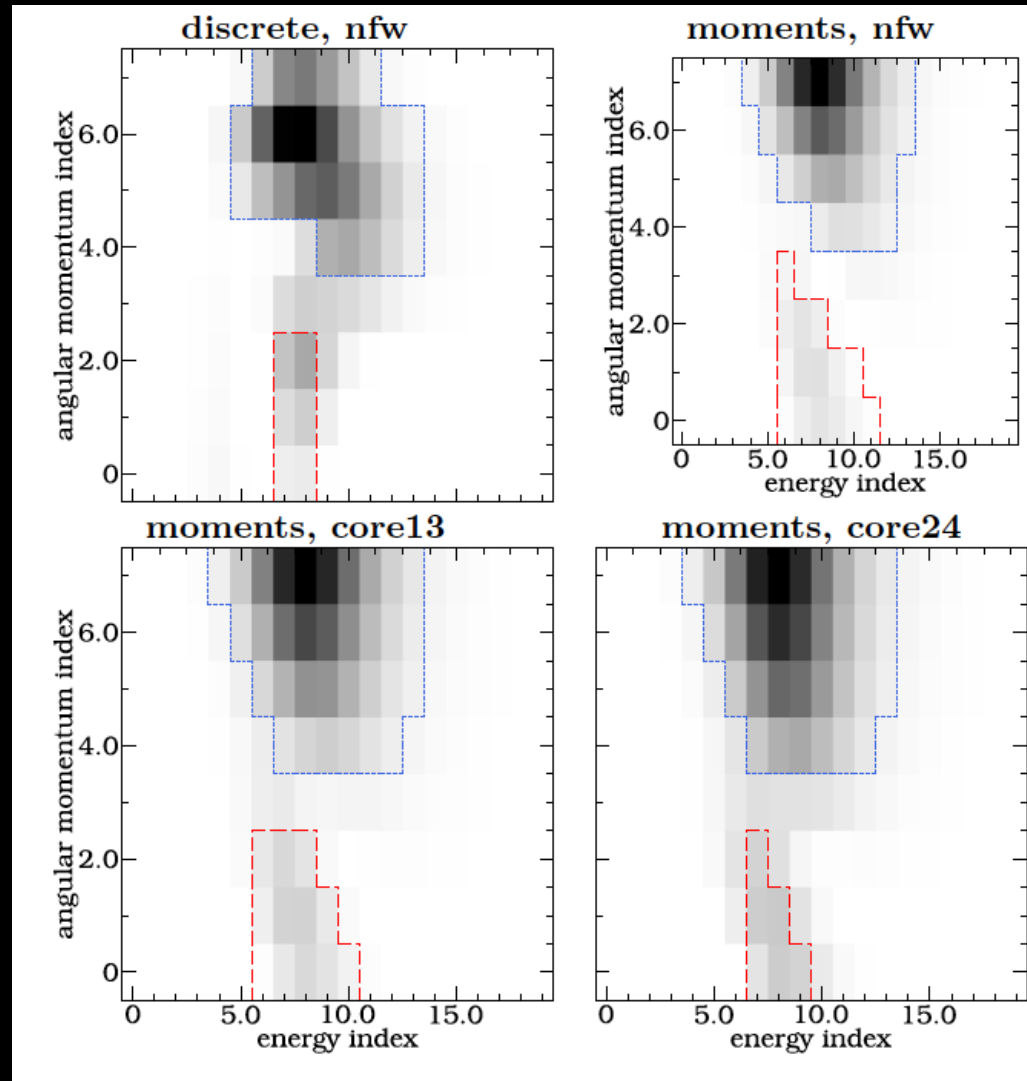


Breddels & Helmi (2013)

- Model-independent measurement of slope of dark halo density profile at $\sim r_3$
- We find $\gamma(r_3) \sim -1.1$ (Sextans) to -1.5 (Fornax) at ~ 1 kpc
 - the large uncertainties for Carina and Sextans are due to size of sample

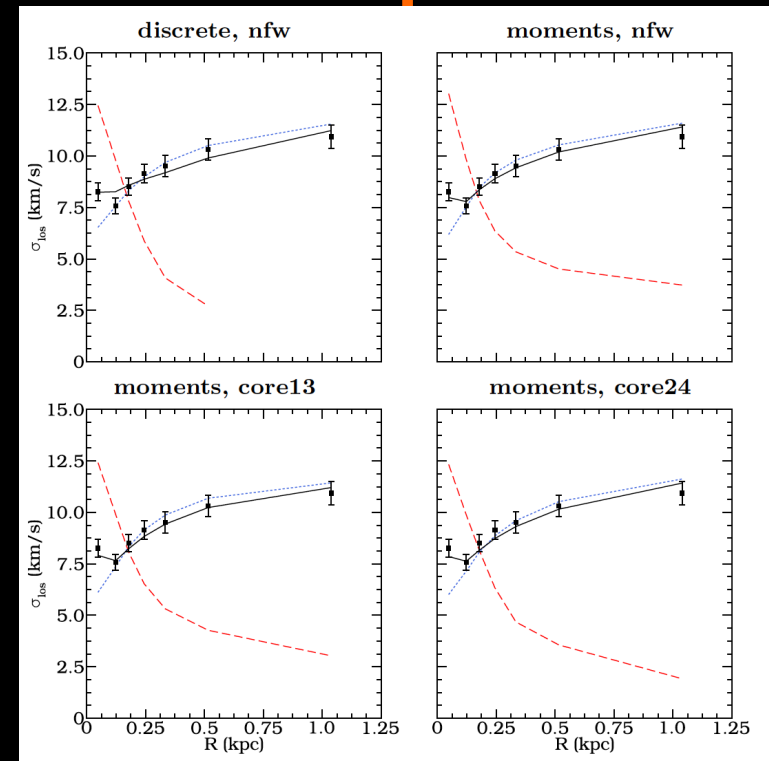
Distribution function of Sculptor

- From weights we obtain orbital structure and df of these models
- Resulting df has two dynamical components!!
 - Low angular momentum (radial orbits)
 - High-angular momentum (tangential orbits)
- Bimodality present in all models
 - for discrete and moment fitting
 - NFW and cored potentials

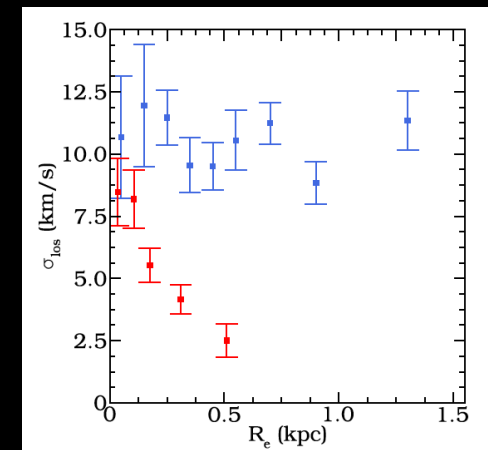


Distribution function of Sculptor

- Multiple components in Scl are truly physically different
 - Not gradient of stellar pops from “metal-rich” to “metal-poor”
- No need to assume multiple components: an output of Schwarzschild non-parametric method
- Low angular momentum component is more centrally concentrated, velocity dispersion profile decreases with radius
- High angular momentum component is more extended, velocity dispersion profile is more constant with radius
- Resemblance to metal-rich ($\text{Fe}/\text{H} > -1.5$) and metal-poor ($\text{Fe}/\text{H} < -1.7$) kinematics



Breideis & Helmi (2014)



Distribution function of Sculptor

- Correspondance between the df components and those in photometry, or via metallicity, is not perfect

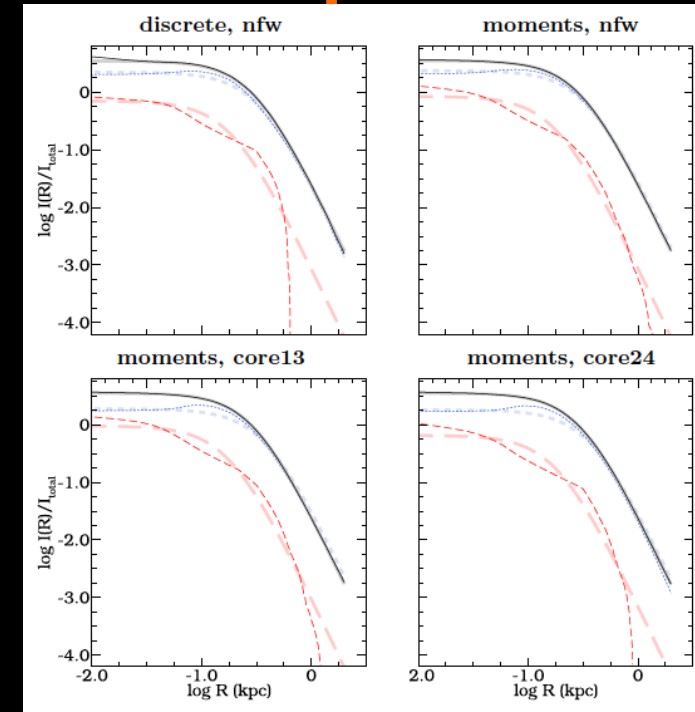
- Plummer fits to model light profiles give a ratio of scale radii ~ 0.6 , very comparable to observed

- However, Plummer is not a good fit to innermost component.

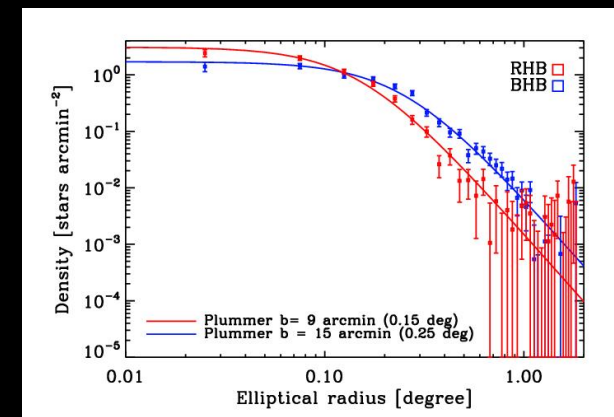
- Tension with Walker & Peñarrubia (2011), and Agnello & Evans (2012) might be related

- model MR and MP pops separately but could not fit NFW...

- Uncertainties in characterization of these components too large?



Breddels & Helmi (2014)

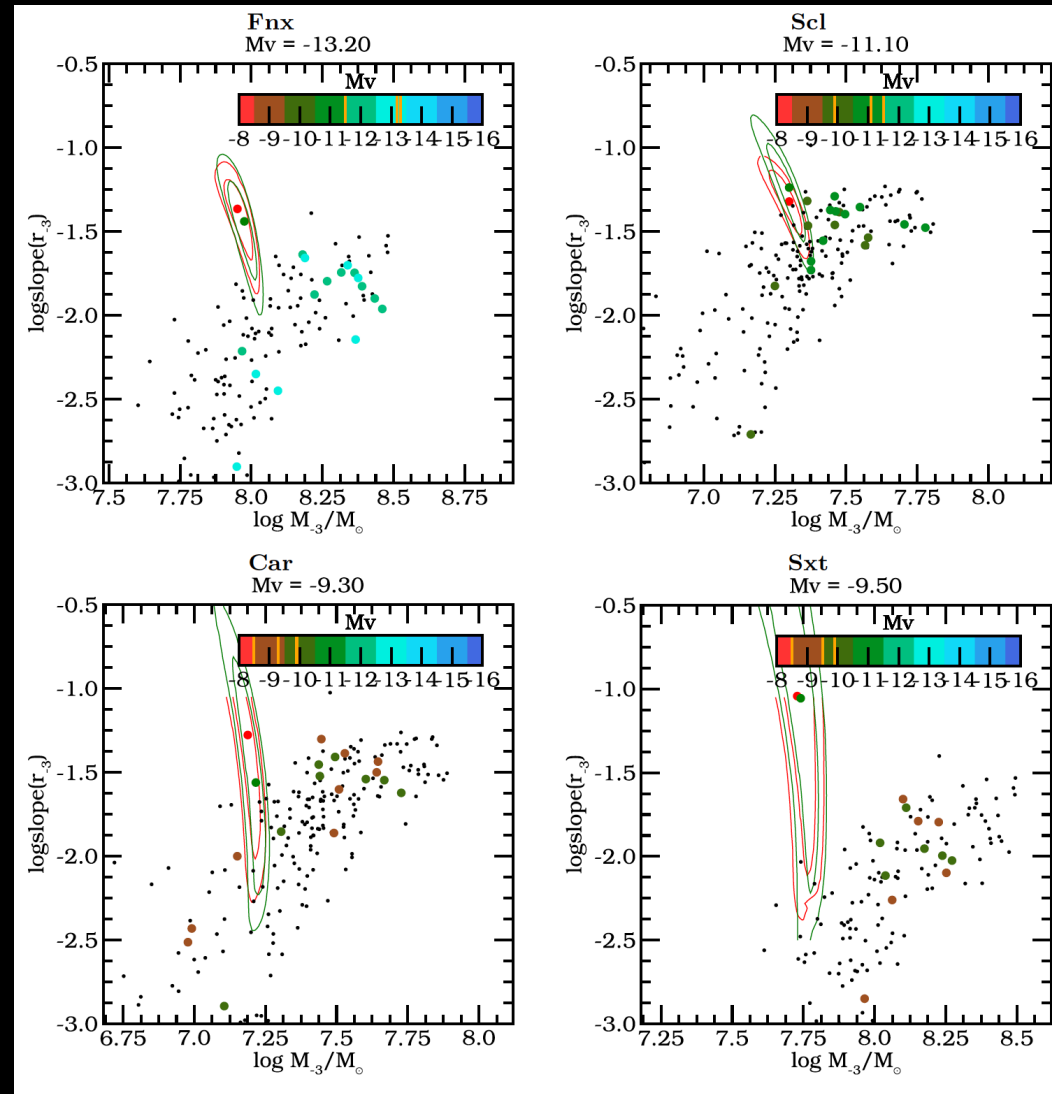


Is this picture quantitatively correct on the dwarf galaxy scale?



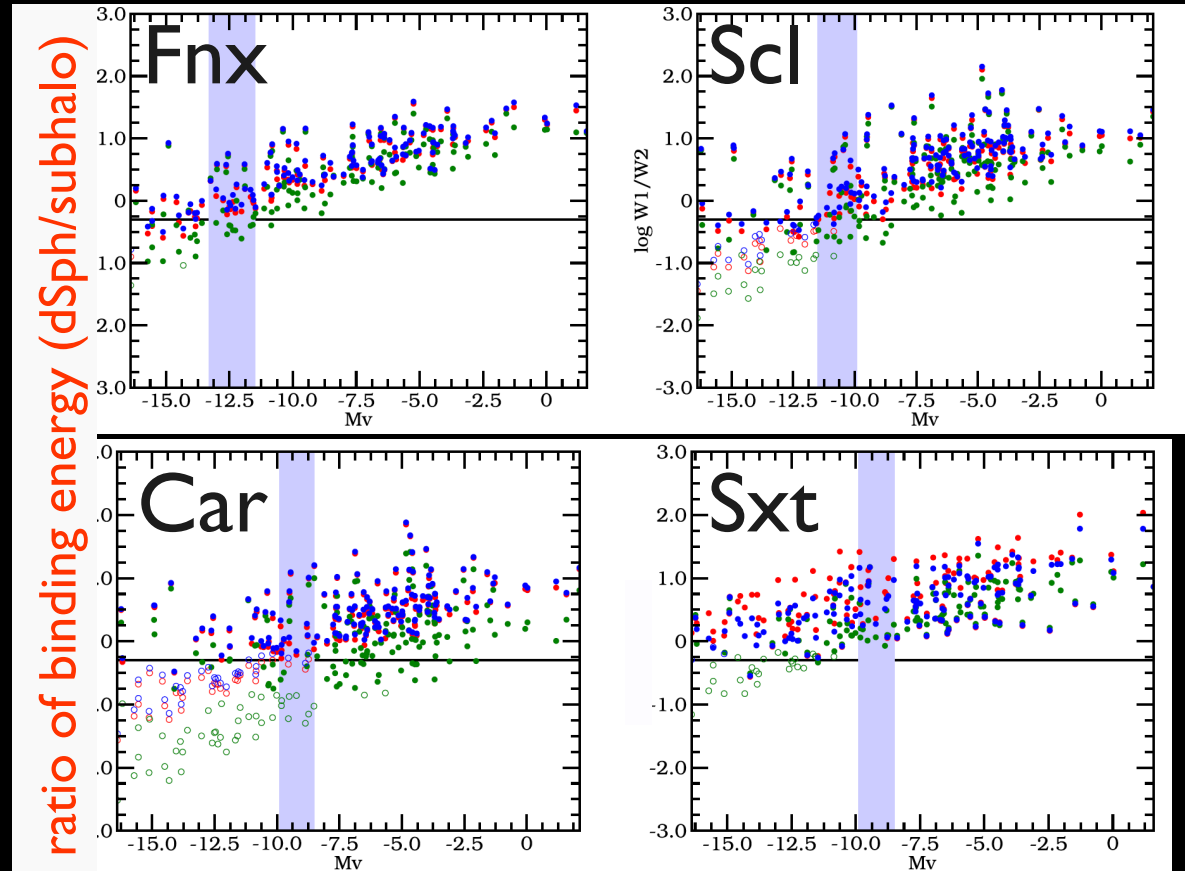
Comparison to subhalos in LCDM simulations

- Selected subhalos in Aquarius simulations
 - Aq-hosts scaled to the same mass, $8 \times 10^{11} M_{\text{sun}}$
 - Luminosities from SA models (Starkenburger et al. 2013)
- Determined $M(r_{-3})$ and $\Upsilon(r_{-3})$ for subhalos at r_{-3} of each dSph
 - by fitting Einasto profiles
- Some subhalos show overlap with region allowed by observations (Scl)
- Typically they are offset (Fnx, Sxt)



Energetic arguments

- For each galaxy, compute binding energy of the best fitting models W_1
 - for different profiles
- Compare to binding energy of the subhalos W_2
- $W_1 = W_2$ implies no energy is required to transform from one system to the other
- $W_1/W_2 > 1/2$ transformation can take place, and energy must be injected into a subhalo
- $W_1/W_2 < 1/2$ subhalo must loose energy



Breddels, Vera-Ciro in prep

- Ratio takes plausible values

Energetic arguments

- SN energy budget given stellar mass of each dwarf: E_{SN} (Peñarrubia et al. 2012)

- Efficiency of SN feedback

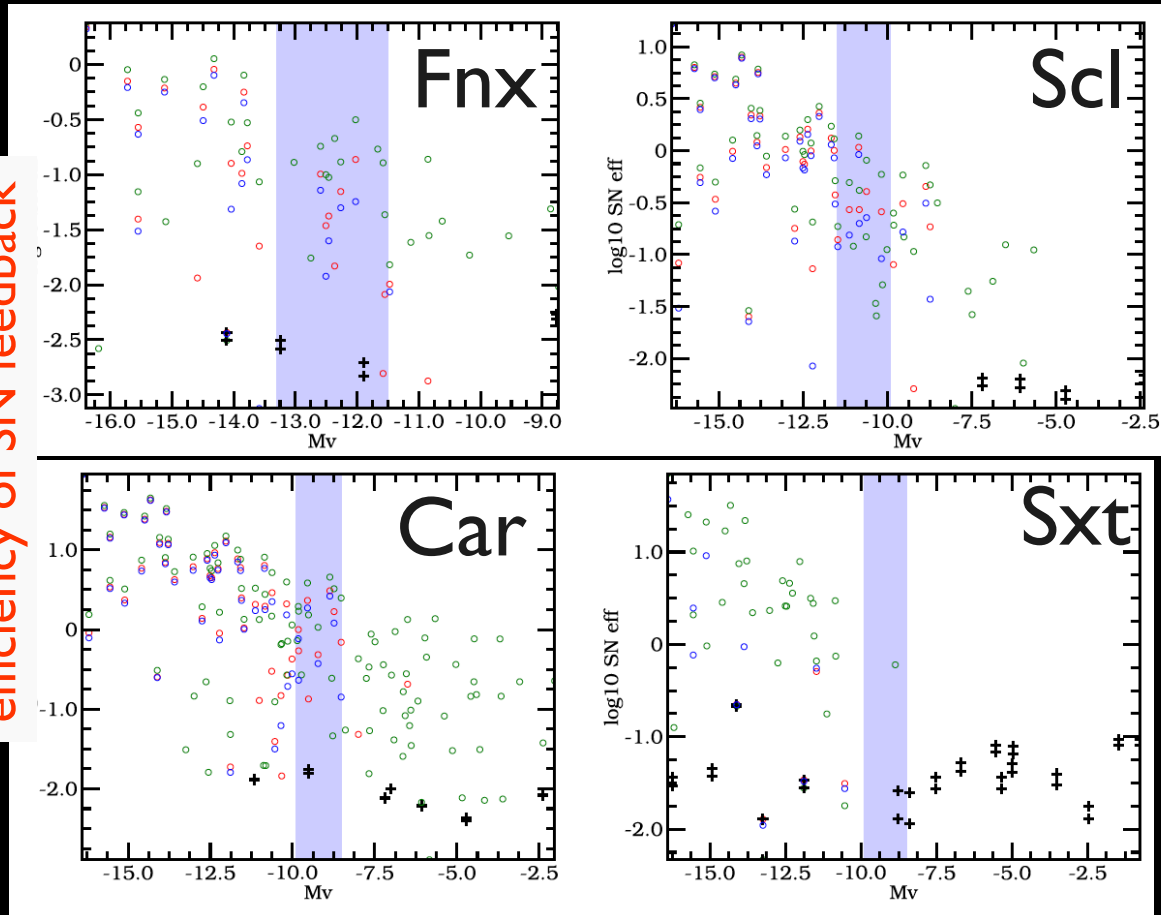
$$\epsilon_{\text{SN}} = \delta E / E_{\text{SN}}$$
$$\delta E = 1/2 (W_1 - W_2)$$

- If $\epsilon_{\text{SN}} < 1$, then energy change δE is lower than the available SN feedback energy

- For Fnx and Scl, efficiencies are plausible and $< 100\%$.

- For Car it is possible, issues for Sextans

efficiency of SN feedback



Summary

- Schwarzschild modeling shows that different dark halo profiles give equally good fits to the dSph kinematic data
- Models conspire to give all the same mass distribution within region ~ 1 kpc in extent
- Slopes can be measured in model independent way
 - These new constraints are not directly consistent with properties of subhalos in LCDM
 - But energetics show it is possible to transform them into dSph halos, except for Sextans (which has large uncertainties)
- Non-parametric modeling of Sculptor reveals multiple dynamical components
 - Linked to the MP and MR populations: physically distinct
 - And demonstrates that NFW halos are still allowed by the data