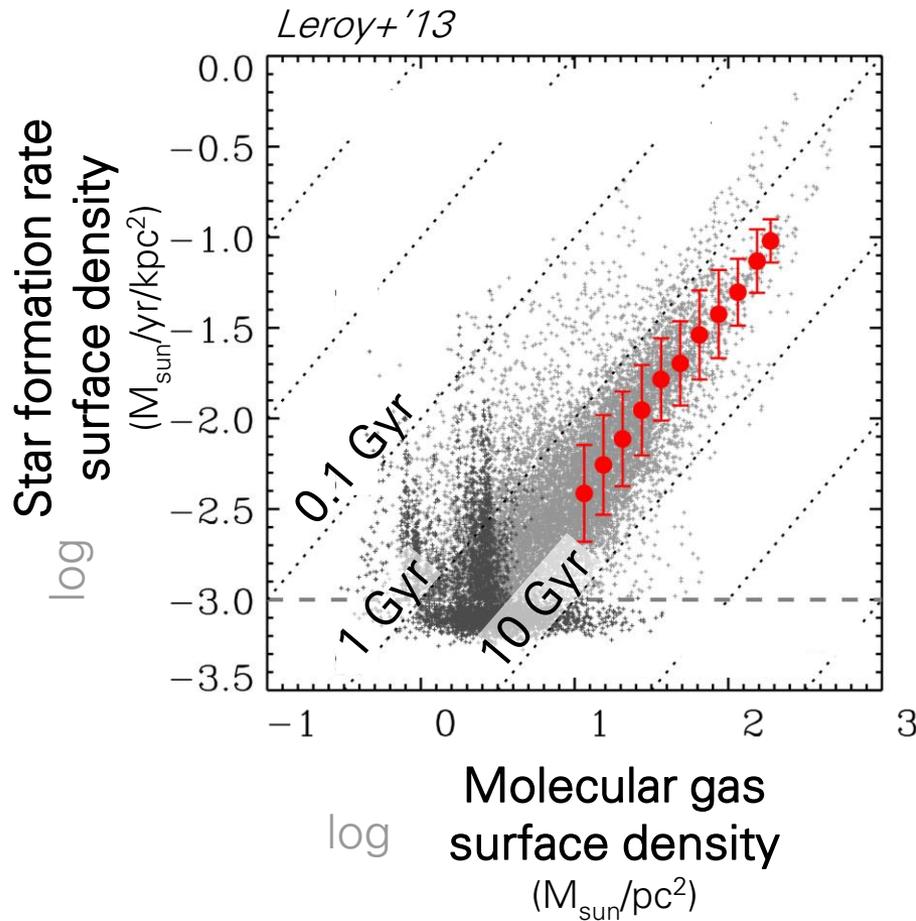


Effect of feedback
on the normalization and slope
of the molecular Kennicutt-Schmidt relation

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Molecular Kennicutt-Schmidt relation on ~kpc scale



Depletion time of molecular gas on ~kpc scale:

$$\tau_{\text{H}_2} \equiv \frac{\Sigma_{\text{H}_2}}{\dot{\Sigma}_{\star}} \approx 2 \pm 1 \text{ Gyr}$$

- Surprisingly long
 - > dynamical timescales in ISM ~10-30 Myr
 - > depletion times in SF regions ~50-300 Myr

- Independent of molecular gas surface density

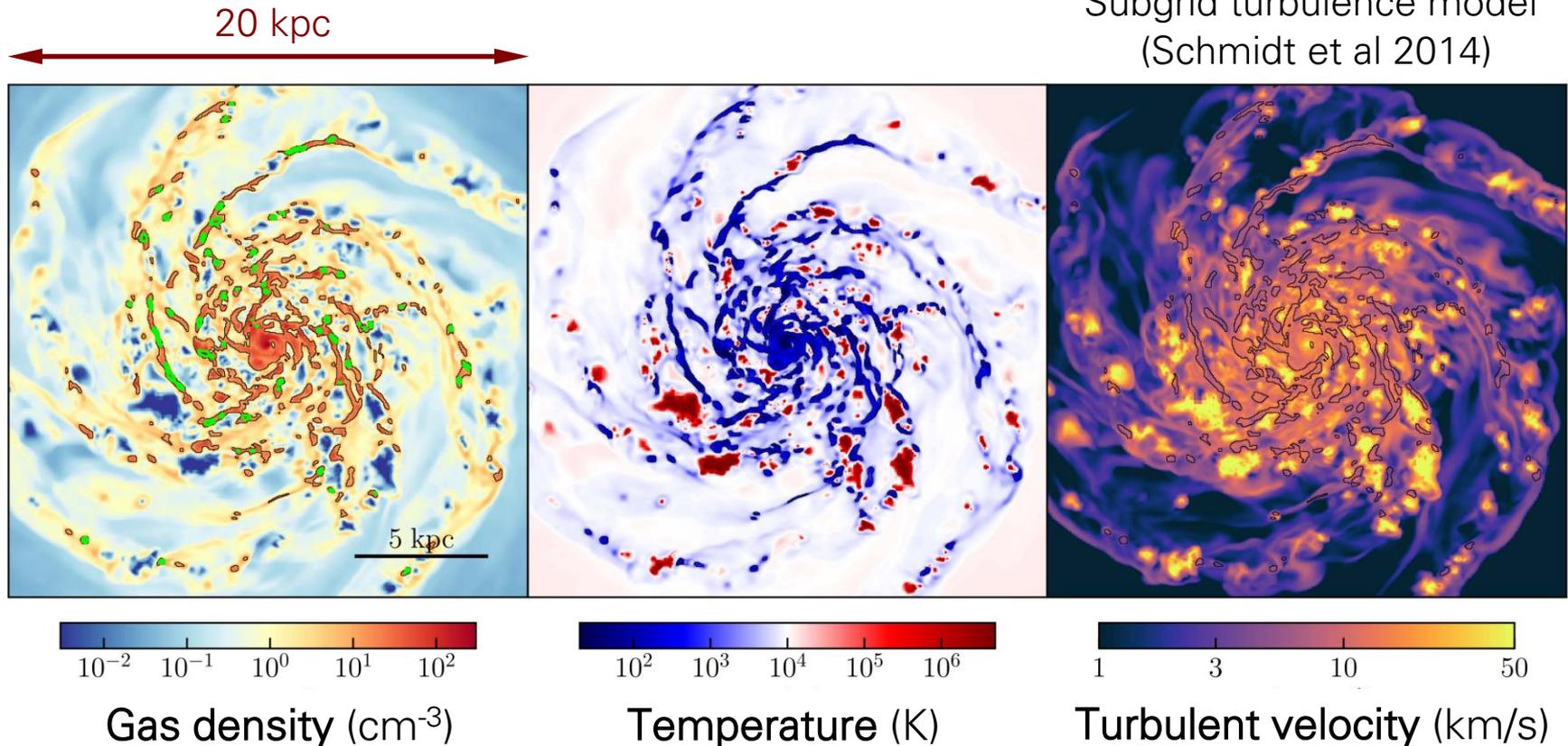
e.g., $\tau \sim \Sigma^{-0.5}$ is expected if self-gravity alone regulates SF

Simulations of $\sim L_*$ isolated disk galaxy

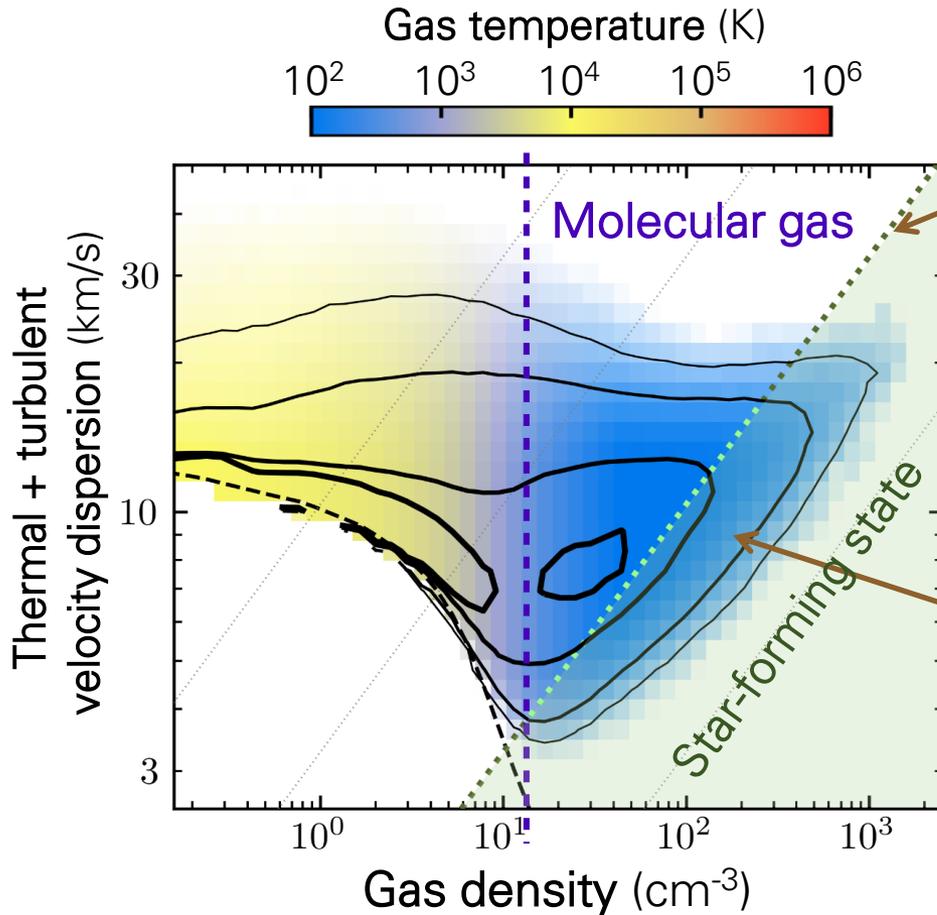
AGORA ICs | 40 pc resolution | ART code

Star formation prescription motivated by models of SF in supersonic turbulence

Feedback calibrated against supernova remnant simulations (Martizzi et al 2015)



Star formation and feedback on resolution scale



Star formation criterion:

$$\alpha_{\text{vir}} < 10$$

$$\alpha_{\text{vir}} \approx 9.35 \frac{(\sigma_{\text{tot}}/10 \text{ km s}^{-1})^2}{(n/100 \text{ cm}^{-3})(\Delta/40 \text{ pc})^2}$$

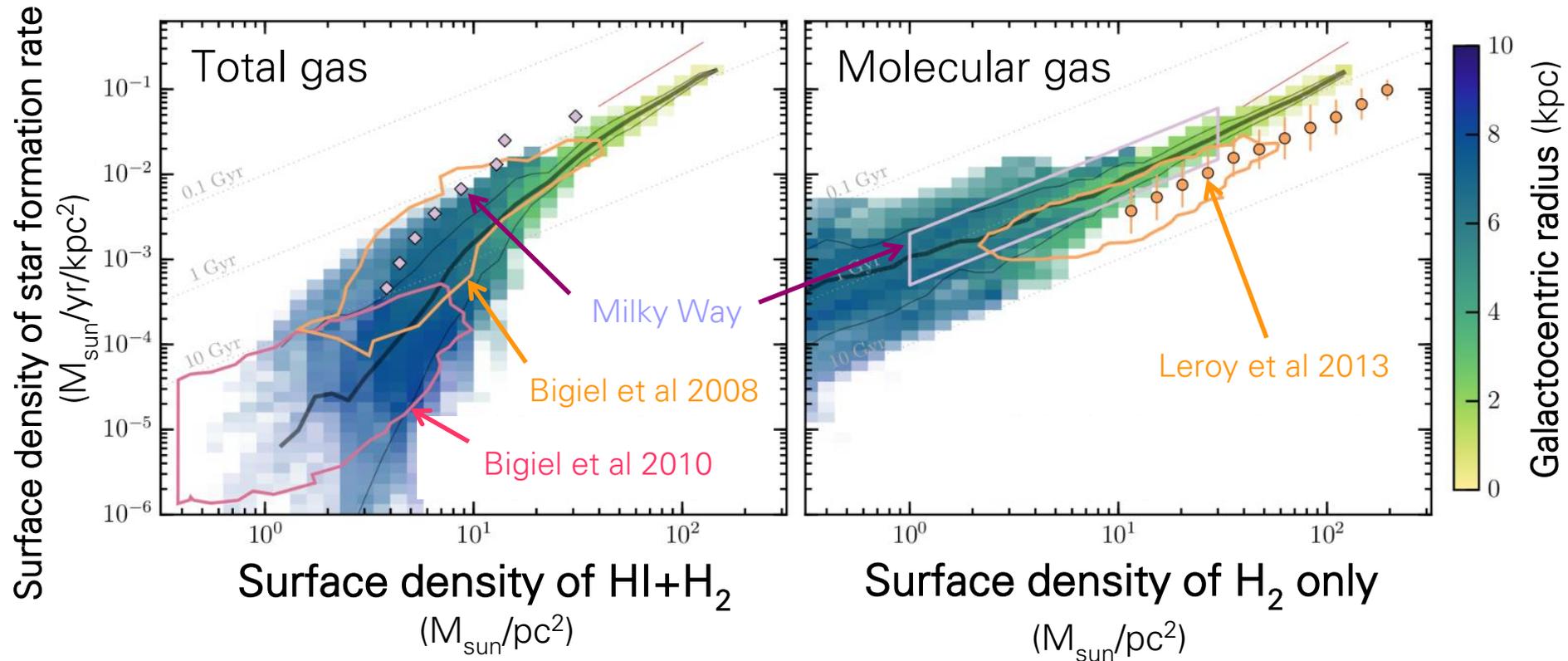
Local star formation rate:

$$\dot{\rho}_{\star} = \epsilon_{\text{ff}} \frac{\rho}{t_{\text{ff}}} \propto \rho^{1.5}$$

$$\epsilon_{\text{ff}} = 1\%$$

Fiducial simulation reproduces Kennicutt-Schmidt relation

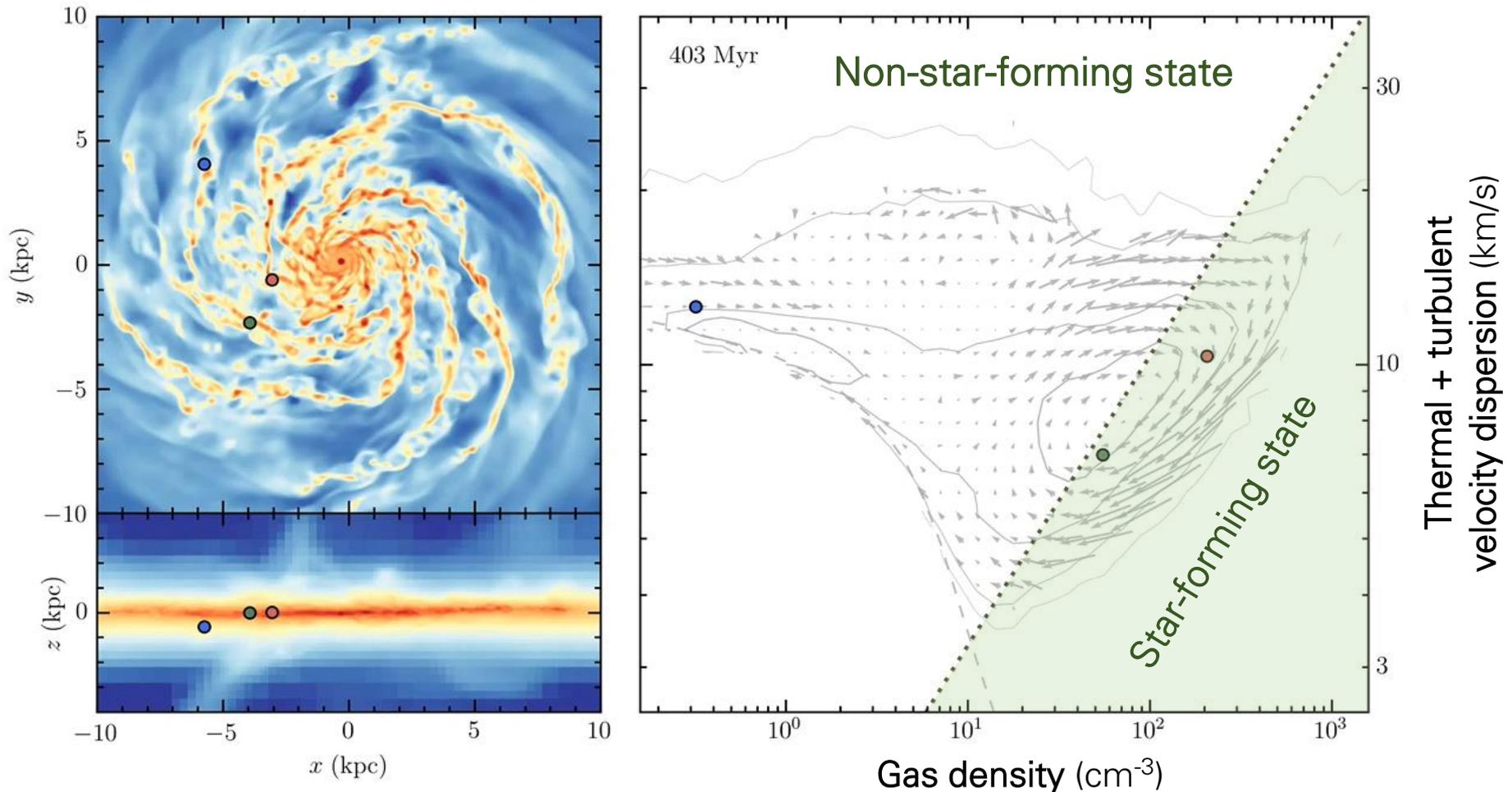
- Correct normalization (i.e. long global depletion time)
 - For molecular gas the slope is close to linear (despite steeper local relation)
- => Can use simulations to understand the origin of KS normalization and slope



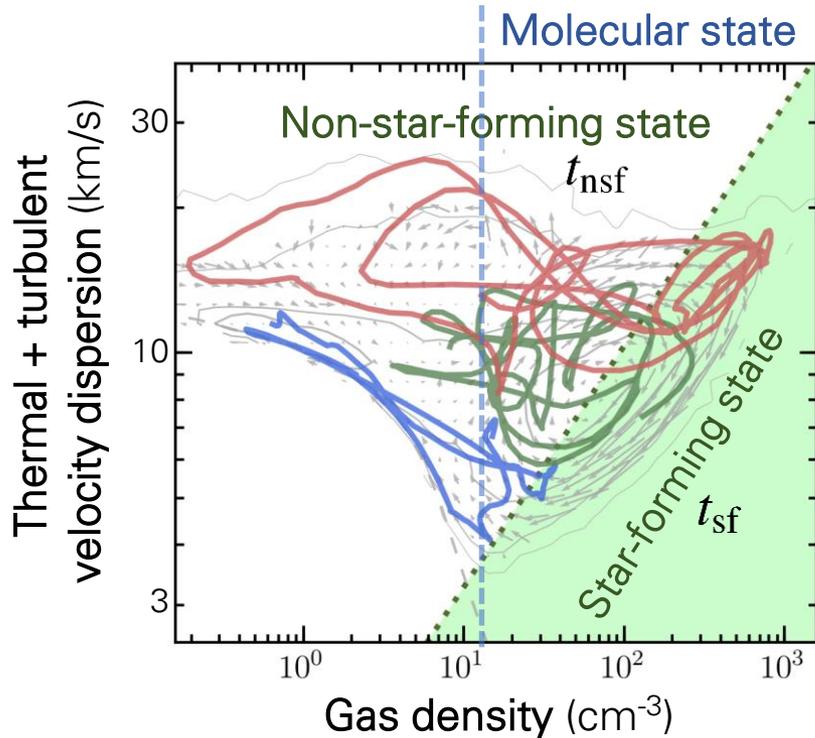
Fiducial SF prescription: $\epsilon_{\text{ff}} = 1\%$ and $\dot{\rho}_{\star} \propto \rho^{1.5}$ in gas with $\alpha_{\text{vir}} < 10$

ISM gas evolution is rapid and cyclic

- Gas cycles between SF and non-SF states on <100 Myr timescale
- Feedback disperses SF regions making SF stages short
- Most of the time gas spends in the non-SF state



Physical origin of long gas depletion times



Gas depletion time:

$$\tau_{\text{dep}} = \frac{M_{\text{g}}}{\dot{M}_{\star}} = \frac{1}{f_{\text{sf}}} \frac{M_{\text{sf}}}{\dot{M}_{\star}} = \frac{\tau_{\text{dep,sf}}}{f_{\text{sf}}}$$

Depletion time of *star-forming gas*
(explicitly depends on the SF recipe)

Mass fraction of star-forming gas:

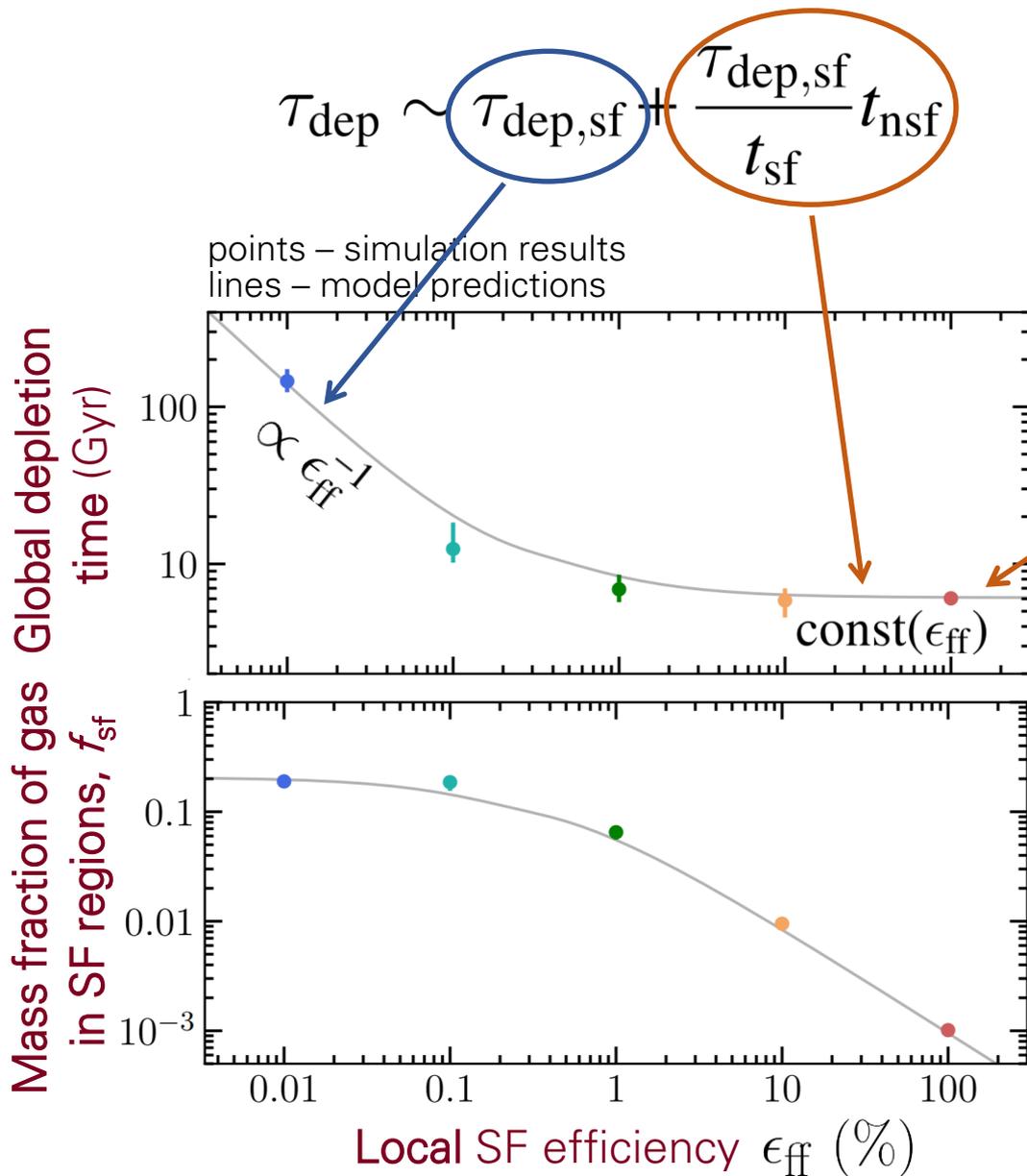
$$f_{\text{sf}} = \frac{M_{\text{sf}}}{M_{\text{g}}} \sim \frac{t_{\text{sf}}}{t_{\text{sf}} + t_{\text{nsf}}} = \left(1 + \frac{t_{\text{nsf}}}{t_{\text{sf}}}\right)^{-1}$$

$$\tau_{\text{dep}} \sim \tau_{\text{dep,sf}} + \frac{\tau_{\text{dep,sf}}}{t_{\text{sf}}} t_{\text{nsf}} \quad N_{\text{dep}} \sim \frac{\tau_{\text{dep,sf}}}{t_{\text{sf}}}$$

(depletion time) = (depletion time in SF state) + (total time in non-SF state over N_{dep} cycles)

Although each cycle is short, depletion is long because the number of cycles is large

Dependence of depletion time on local SF efficiency



By definition:

$$\tau_{\text{dep,sf}} \sim \frac{\tau_{\text{ff}}}{\epsilon_{\text{ff}}} \propto \epsilon_{\text{ff}}^{-1}$$

Feedback limits SF stages:

$$t_{\text{sf}} \propto \epsilon_{\text{ff}}^{-1}$$

Model explains self-regulation!

(i.e., independence of global depletion time from local ϵ_{ff})

Dobbs+ '11; Agertz+ '13, '15; Hopkins+ '13, '17

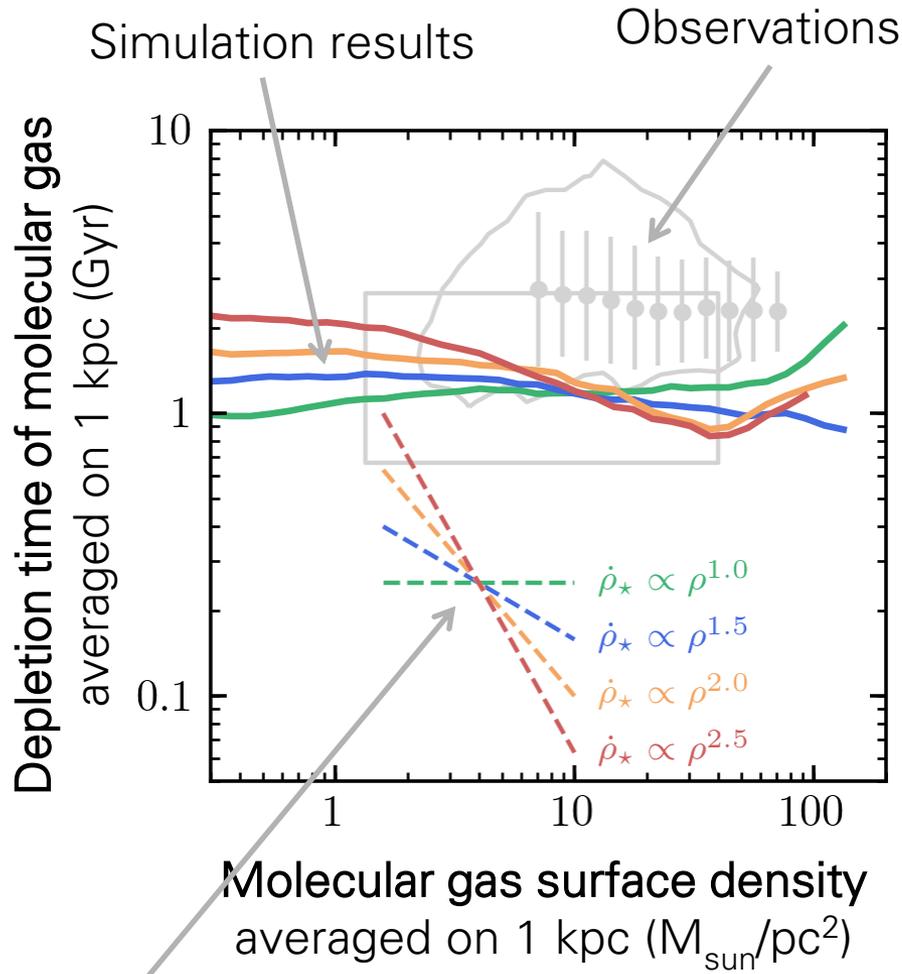
Star-forming gas mass fraction shows the opposite behavior:

$$f_{\text{sf}} \sim \left(1 + \frac{t_{\text{nsf}}}{t_{\text{sf}}} \right)^{-1}$$

f_{sf} can be used to constrain ϵ_{ff}

Hopkins+ '13

Slope of molecular Kennicutt-Schmidt relation



Slope of $\rho/\dot{\rho}_*$ adopted on 40 pc scale

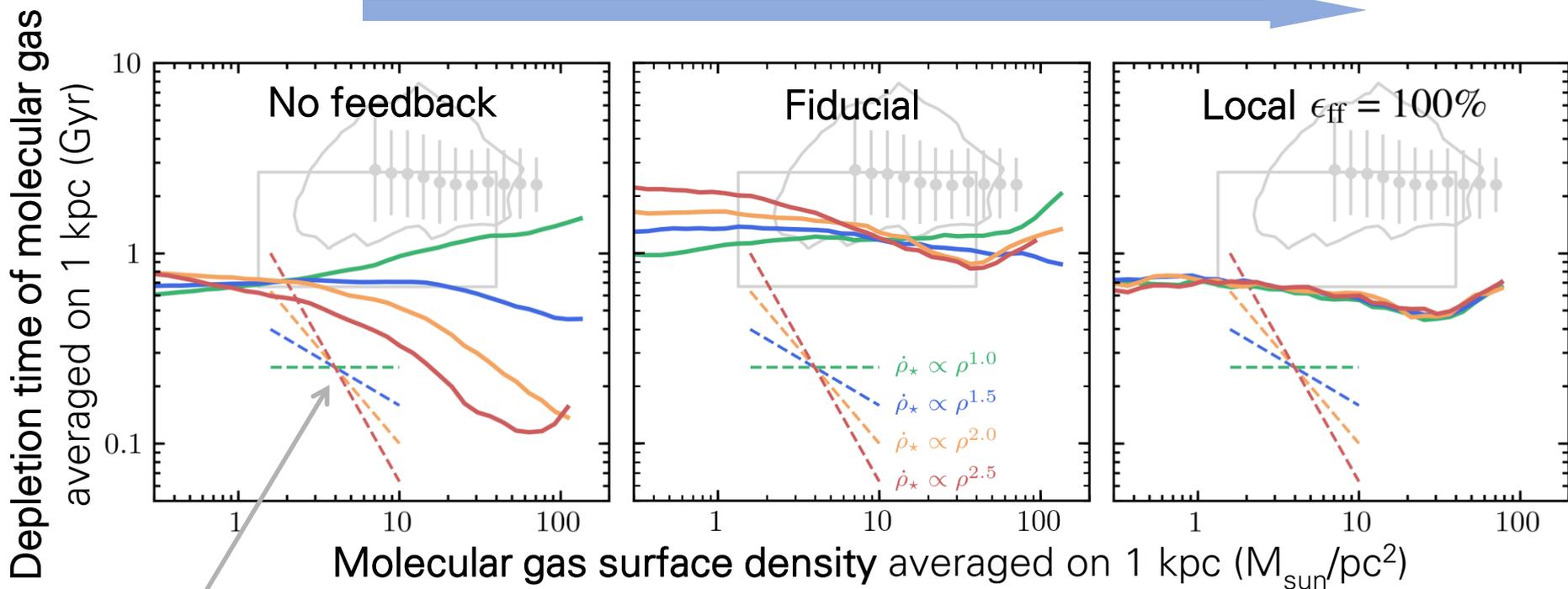
Apart from normalization, simulations also reproduce the linear slope

$\tau_{\text{dep,H}_2}$ is constant on kpc scale

independent of the assumptions on resolution scale (40 pc)

Effect of feedback on the molecular KS slope

Feedback becomes more important



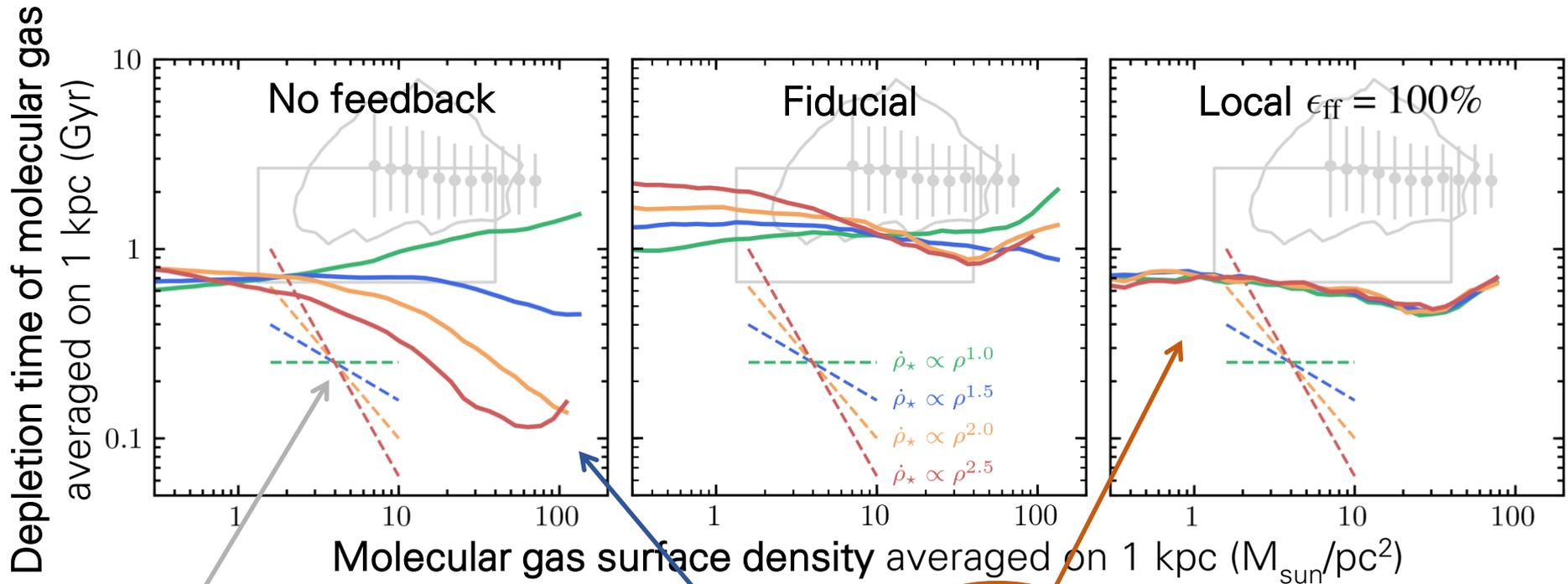
Slope of $\rho/\dot{\rho}_*$ adopted on 40 pc scale

Effect of feedback on the molecular KS slope

$$\dot{\rho}_* = \epsilon_{\text{ff}} \frac{\rho}{t_{\text{ff}}} \propto \epsilon_{\text{ff}} \rho^{1.5}$$

Local slope different from 1.5 $\Leftrightarrow \epsilon_{\text{ff}}$ dependent on ρ

Therefore, when depletion time is insensitive to ϵ_{ff} it is also insensitive to the local slope!



$$\tau_{\text{dep}} \sim \tau_{\text{dep,sf}} + \frac{\tau_{\text{dep,sf}}}{t_{\text{sf}}} t_{\text{nsf}}$$

Slope of $\rho/\dot{\rho}_*$ adopted on 40 pc scale

Semenov, Kravtsov, Gnedin 2018b in prep.

Summary

The origin of the Kennicutt-Schmidt relation:

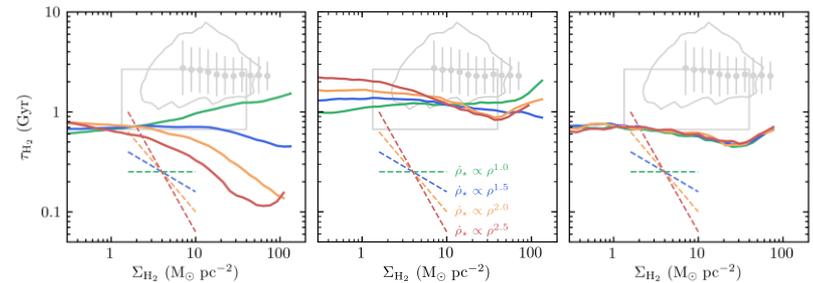
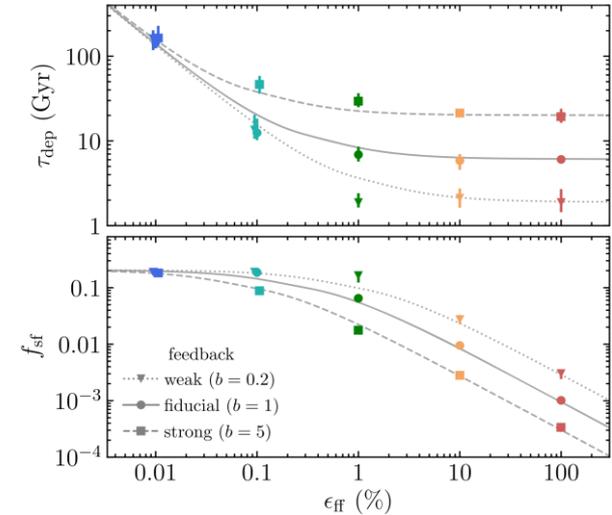
$$\tau_{\text{dep}} \sim \tau_{\text{dep,sf}} + \frac{\tau_{\text{dep,sf}}}{t_{\text{sf}}} t_{\text{nsf}}$$

Normalization (global depletion time)

- τ_{dep} is long because gas has to go through a large number of cycles spending only a small fraction of time in SF state
- Shows two limiting regimes with qualitatively different dependence on star formation and feedback parameters

Slope (dependence of τ_{dep} on Σ_{H_2})

- Also shows two limiting regimes with different dependence on the local slope
- Efficient feedback leads to a linear molecular KSR independent of the local SF recipe (another manifestation of self-regulation)



*Semenov, Kravtsov, Gnedin 2017 ApJ 845, 133
2018 ApJ 861, 4
2018b in prep.*